

Course specification
(1102 Discrete structure)

Faculty: HICIT

Programme(s) on which the course is given: Under graduate program in Computer Science

Major or minor element of programme: Compulsory

Department offering the programme: Department of Computer Science

Department offering the course: Department of Computer Science

Year / Class: 1st Year – 1st semester

Date of specification approval: 22/9/2015

A- Basic Information:

Title: Discrete Structure **Code:** 1102

Weekly Hours:

Lecture: 3 Exercise: 2 Practical:- Total: 5

B- Professional Information

1- Course Objectives:

Upon successful completion of the course, students should be:

- understand the fundamental concepts of :-
- Set Theory, Relations, and Functions
- understand Vectors and Matrices.
- understand Graph Theory.
- Combinatorial Analysis
- Algebraic Systems, Formal Languages
- Propositional Calculus
- Boolean Algebra

2- Program ILOs Covered by Course

Program Intended Learning Outcomes			
Knowledge and understanding	Intellectual Skills	Professional and practical skills	General and Transferable skills
a1, a4	b1, b7, b8	c16	d11

3 - Intended Learning Outcomes of course (ILOs)

a. Knowledge and Under-Standing:

- a1. Understand the sets, relations and functions.
- a2. Understand graphical systems.
- a3. Explain the principles, concepts and practical design of Boolean and logical systems.

b. Intellectual Skills:

- b1. Analyze the problems including Sets, Relations, and Functions
- b2. Identify appropriate methods of proof.

b3. Identify a range of solutions and critically evaluate and justify proposed design solutions.

c- Professional and practical skills

c1. Solve related problems in sets, sequences and series.

d- General and transferable skills

d1. Communicate effectively by oral, written and visual means.

d2. Work effectively as an individual and as a member of a team.

d3. Develop Creativity and imagination skills, Self-assessment ability and Critical thinking and analytic ability.

4- Contents and Course Outline

Topic	Hours	Lec.	Exc
1 SET THEORY <ul style="list-style-type: none"> • Sets and elements • Universal set, empty set, and Subsets. • Venn diagrams, Set operations, Algebra of sets, Duality. • Finite sets, counting principle, Classes of sets, power sets. • Arguments and Venn diagrams • Mathematical induction 	10	6	4
2 Relations <ul style="list-style-type: none"> • Product sets. Relations. Pictorial representations of relations. • Inverse relations. Composition of relations. • Properties of relations. Partitions. Equivalence relations. • Partial ordering relations • n-ary relations. 	10	6	4
3 Functions <ul style="list-style-type: none"> • Functions, Graph of function. • One-to-one, onto and invertible functions. • Indexed classes of sets. • Cardinality. 			
4 Vectors and Matrices <ul style="list-style-type: none"> • Vectors, Matrices. Matrix addition and scalar multiplication. • Summation symbol. Matrix multiplication. • Transpose, Square matrices. • Invertible matrices. Determinants. 	10	6	4
5 Graph Theory <ul style="list-style-type: none"> • Graphs and multigraphs. Degree, Connectivity. • The bridges of Konigsberg, traversable multigraphs. • Special graphs. Matrices and graphs. • Labeled graphs. Isomorphic graphs. • Directed graphs. 	10	6	4
6 Combinatorial Analysis <ul style="list-style-type: none"> • Fundamental principle of counting. • Binomial coefficients. • Permutations. • Combinations • Ordered Partitions. Tree diagram. 	10	6	4
	10	6	4

7 Proposition Calculus <ul style="list-style-type: none"> • Statement and compound statements • Conjunction p AND q. Disjunction, p OR q Negation, NOT p. • Propositions and truth tables. • Tautologies and contradictions. Logical equivalence. • Algebra of propositions. Conditional and biconditional statements. 	5	3	2
8 Boolean Algebra <ul style="list-style-type: none"> • Basic definitions • Duality • Basic Theorems. • Boolean Algebra as lattices. • Representation Theorem. Disjunctive normal form for sets. • Minimal Boolean expressions. • Karnaugh maps. 			

5- Teaching and learning methods

- 4.1 Lectures
- 4.2 Tutorial Exercises
- 4.3 Discussions.

6 -Student assessment methods

- 5.1 Midterm Exam: To assess the knowledge and understanding achieved by the student during the previous weeks.
- 5.2 Final Exam: To evaluate what the student gain at the end of the course, and to assess: the knowledge and understanding, general skills, and intellectual skills.
- 5.3 Course Work & Quizzes: To keep the student always in the course, and to evaluate knowledge, understanding, intellectual, and transferable skills.

Assessment Schedule

Assessment	Week #
Mid Term Exam	8
Final Exam	16
Course Work & Quizzes	2-14

Assessment Weight

Assessment	Weight %
Mid Term Exam	10%
Final Exam	80%
Course Work & Quizzes	10%
Total	100

Course Work & Quizzes: (Short Exams, Assignments, Researches, Reports, Presentations, Class/Project discussion)

7 -List of references

- 7.1 Text Books

Chaum's Outline DISCRETE MATHEMATICS BY SEYMOUR

LIPSCHUTZ **3rd edition**
McGraw-HILL BOOK COMPANY 2007

7.2 Donald E. Knuth, The Art of Computer Programming

7.3 Kenneth H. Rosen, Handbook of Discrete and Combinatorial Mathematics CRC Press. ISBN 0-8493-0149-1.

- Kenneth H. Rosen, Discrete Mathematics and Its Applications 5th ed. McGraw Hill. ISBN 0-07-293033-0. Companion Web site: <http://www.mhhe.com/math/advmath/rosen/>
- Richard Johnsonbaugh, Discrete Mathematics 6th ed. Macmillan. ISBN 0-13-045803-1. Companion Web site: http://wps.prenhall.com/esm_johnsonbau_discretmath_6/
- Ralph P. Grimaldi, Discrete and Combinatorial Mathematics: An Applied Introduction 5th ed. Addison Wesley. ISBN 0-20-172634-3
- Norman L. Biggs, Discrete Mathematics 2nd ed. Oxford University Press. ISBN 0-19-850717-8. Companion Web site: <http://www.oup.co.uk/isbn/0-19-850717-8> includes questions together with solutions..
- Neville Dean, Essence of Discrete Mathematics Prentice Hall. ISBN 0-13-345943-8. Not as in depth as above texts, but a gentle intro.
- Klette, R., and A. Rosenfeld (2004). Digital Geometry. Morgan Kaufmann. ISBN 1-55860-861-3. Also on (digital) topology, graph theory, combinatorics, axiomatic systems.
- Mathematics Archives, Discrete Mathematics links to syllabi, tutorials, programs, etc. <http://archives.math.utk.edu/topics/discreteMath.html>
- Ronald Graham, Donald E. Knuth, Oren Patashnik, Concrete Mathematics
- Discrete Mathematics AJ Sadler

7.4 Internet Location : http://en.wikipedia.org/wiki/Discrete_mathematics

8- Required Facilities

- Data show and PC computer.

9- Course Matrices

9-1 Course Contents/ILOs Matrix

Course Contents	a1	a2	a3	b1	b2	b3	c1	d1	d2	d3
1 SET THEORY	√		√	√	√					
2 Relations	√		√	√						

3 Functions	√		√	√						
4 Vectors and Matrices		√	√		√	√	√			
5 Graph Theory		√	√		√	√	√			
6 Combinatorial Analysis		√		√	√	√	√			
7 Proposition Calculus		√		√	√	√	√			
8 Boolean Algebra		√		√	√	√	√			

9-2 Learning Methods /ILOs Matrix

Learning Method /ILO Matrix

Learning Methods	a1	a2	a3	b1	b2	b3	c1	d1	d2	d3
Lectures	√	√	√	√	√	√	√			
Tutorial Exercises				√	√	√	√	√	√	√
Discussions.				√	√	√	√	√	√	√

9-3 Assessment Methods /ILOs Matrix

Assessment Methods /ILO Matrix

Assessment Methods	a1	a2	b1	b2	b3	b4	c1	c2	c3	d1	d2	d3
Mid Term Exam	√	√	√	√	√	√	√	√	√			
Final Exam	√	√	√	√	√	√	√	√	√			
Course Work & Quizzes	√	√	√	√	√	√	√	√	√	√	√	√

Course Coordinator: Dr. Farouk Shabaan ()

Head of Department: Dr. Farouk Shabaan ()

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